

History of seismometers

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132 Chang Hêng Seismoscope



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1751 Bina (Italy) simple pendulum above tray of sand

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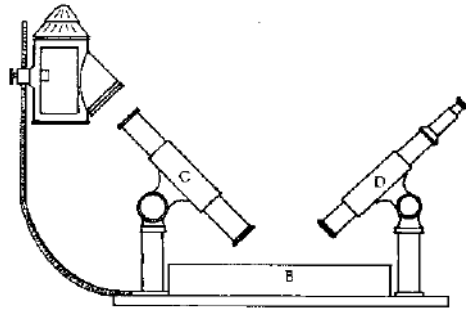
Nicholas Cirillo employed simple pendulums in an investigation of a series of earthquakes in Naples in 1731. He found the amplitude of oscillations to decrease with the inverse square of the distance



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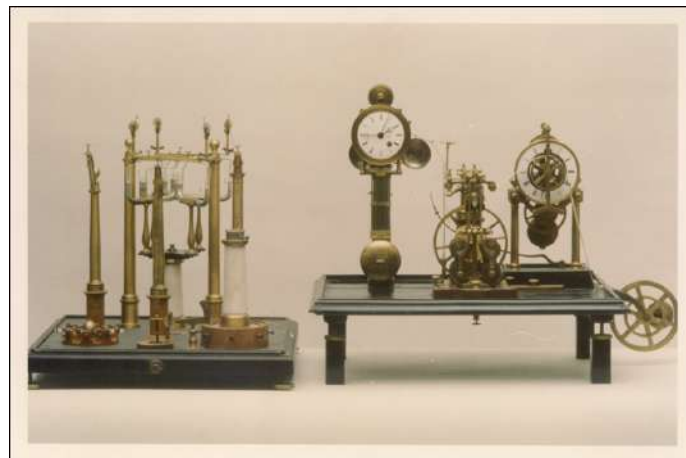
1852 Robert Mallet (Ireland)



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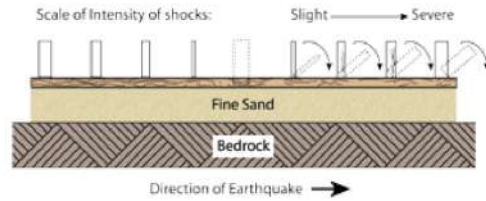
1856 Palmieri (Vesuvius/Italy) collection of seismoscopes



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1870 Comrie Earthquake House

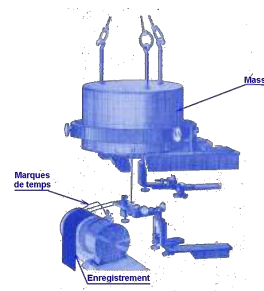


- *Upright Cylinder Seismoscope*
- A different approach was tried in the 1870s, based on upright wooden 'skittles'. These boxwood cylinders were all of the same height but of different diameters so that they had various degrees of stability. It was expected that the size of the quake would relate to the size of cylinder overturned, and that the quake's direction would be shown by the way in which the cylinders fell, and were 'recorded' in the sand. Unfortunately the earthquake activity again subsided, and the instrument never functioned. By around 1900 the building, which had become known as "Earthquake House", fell into disrepair and no evidence of the original seismoscope remained, except

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VICENTINI 1895-1899 (Padua Italy)



vertical :

consists of an undamped flexible blade

- mass 50 kg (1100 lb)
- period 1-2 s

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horizontal :

consists of an elementary pendulum

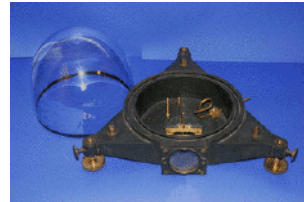
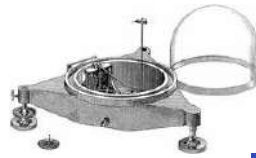
- mass 100 kg (2200 lb)
- period 2 s



1889 Rebeur-Paschwitz(Potsdam/Germany)

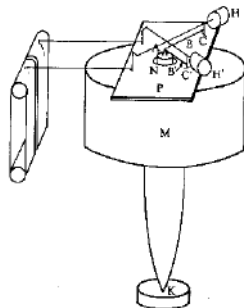


observes distant earthquake with
astronomic pendulum,



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1900 Wiechert inverted pendulum



1000kg mass

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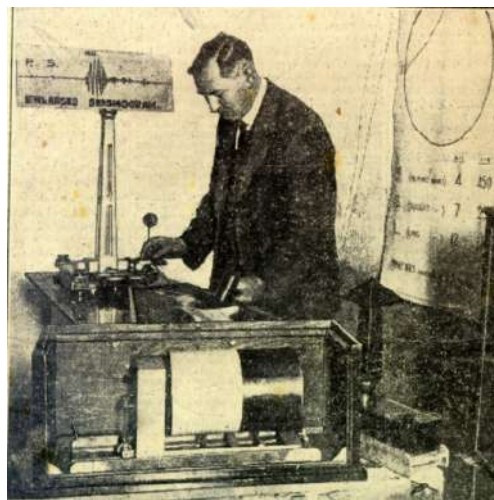
Milne 1904 Shide UK



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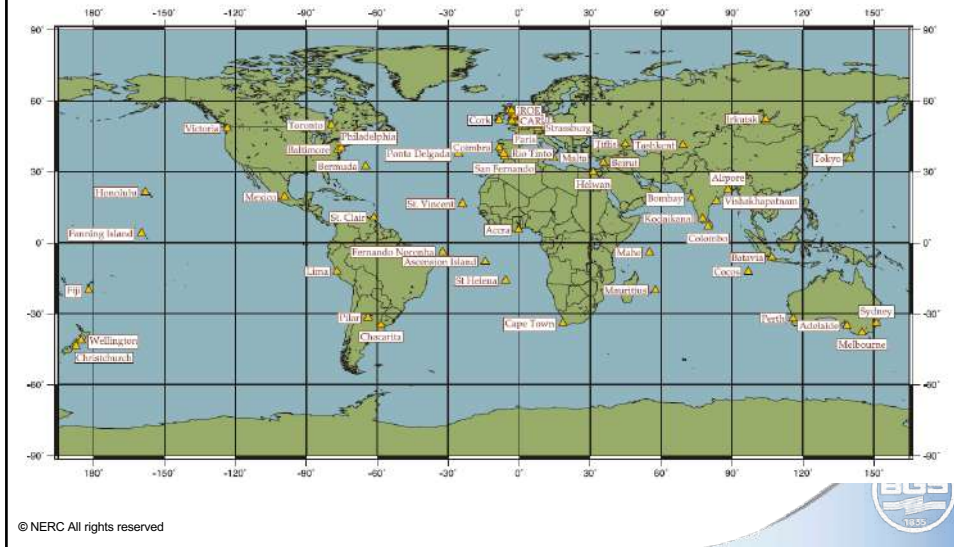
Milne-Shaw 1908



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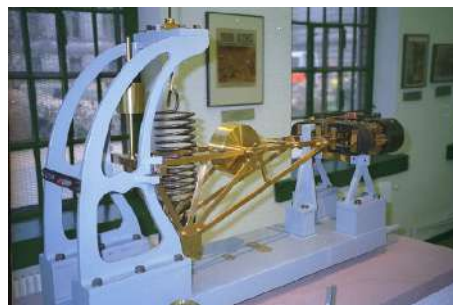
Milne Shide network 1910



Galitzine 1903-10 (St Petersburg)



- mass 7 kg (15 lb)
- period 12 s



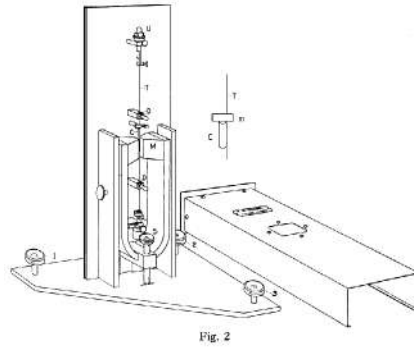
vertical :

- mass 10 kg (22 lb)
- period 24 s

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Wood Anderson 1925 (USA)

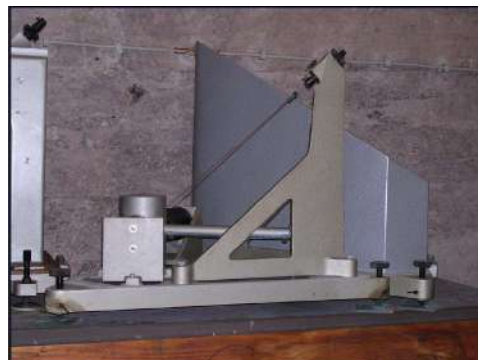


Richter Magnitude 0 = 1 micrometer displacement on WA seismogram at 100km

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WWSSN-LP sprengnether

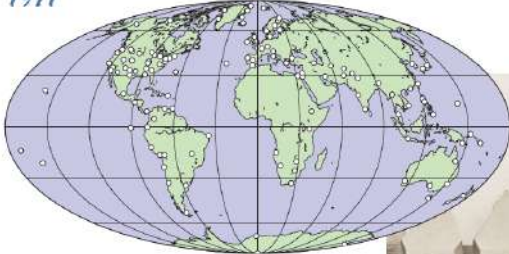


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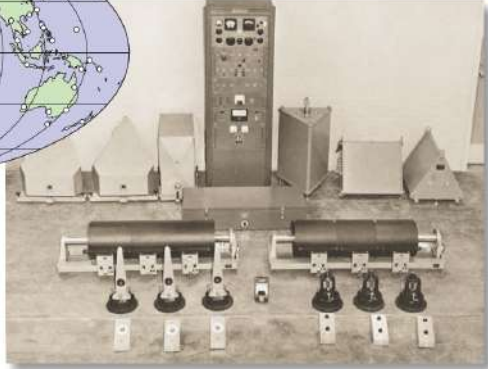


WWSSN

1971




(Top) Stations of the World-Wide Standardized Seismograph Network (WWSSN), installed 1962-1971.

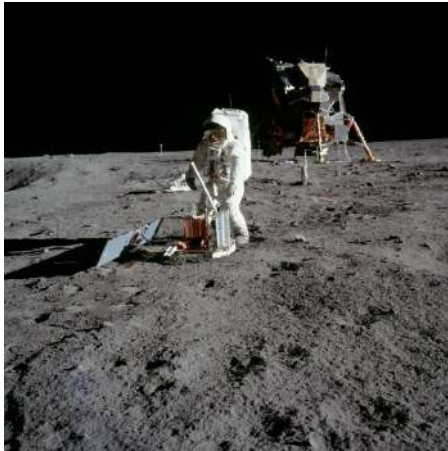


(Right) The WWSSN System, including seismometers, galvanometers, drum recorders, and timing console.


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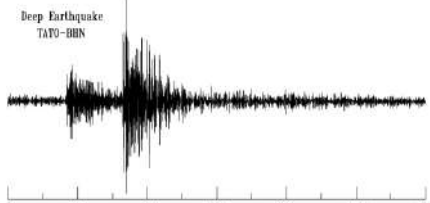
Lunar seismology



Deep Moonquake
016-LPY




Deep Earthquake
TAT0-BHN

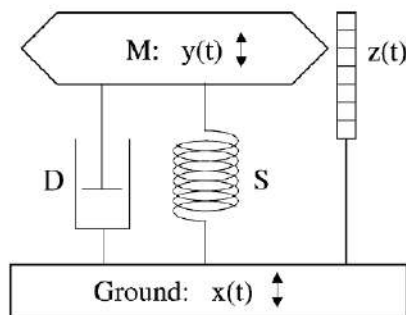
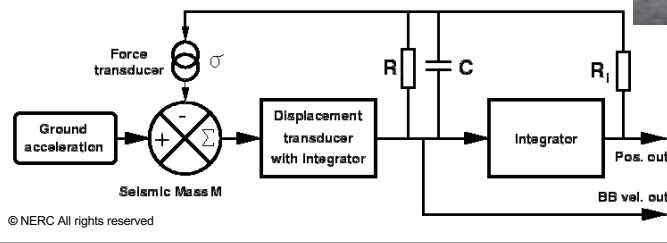


0 200 400 600 800 1000 1200
Time [sec]

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Broad-band seismometry



We assume that the seismic mass is constrained to move along a straight line without rotation (i.e., it performs a pure translation). The mechanical elements are a mass of M kilograms, a spring with a stiffness S (measured in Newtons per meter), and a damping element with a constant of viscous friction D (in Newtons per meter per second). Let the time-dependent ground motion be $x(t)$, the absolute motion of the mass $y(t)$, and its motion relative to the ground $z(t) = y(t) - x(t)$. An acceleration $\ddot{y}(t)$ of the mass results from any external force $f(t)$ acting on the mass, and from the forces transmitted by the spring and the damper:

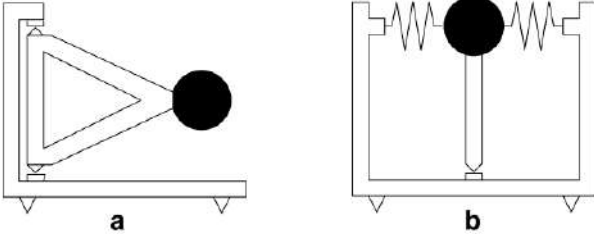
$$M \ddot{y}(t) = f(t) - S z(t) - D \dot{z}(t). \quad (5.16)$$

Since we are interested in the relationship between $z(t)$ and $x(t)$, we rearrange this into

$$M \ddot{z}(t) + D \dot{z}(t) + S z(t) = f(t) - M \ddot{x}(t). \quad (5.17)$$

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The simplest example of a pendulum is a mass suspended with a string or wire (like Foucault's pendulum). When the mass has small dimensions compared to the length ℓ of the string so that it can be idealized as a point mass, then the arrangement is called a mathematical pendulum. Its period of oscillation is $T = 2\pi\sqrt{\ell/g}$ where g is the gravitational acceleration. A mathematical pendulum of 1 m length has a period of nearly 2 seconds; for a period of 20 seconds the length has to be 100 m. Clearly, this is not a suitable design for a long-period seismometer.

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